Subset Scanning for Event and Pattern Detection Daniel B. Neill, Ph.D. Machine Learning for Good Laboratory **New York University** E-mail: daniel.neill@nyu.edu

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Disease Surveillance: Very early and accurate detection of emerging outbreaks. Law Enforcement: Detection, prediction, and prevention of "hotspots" of violent crime. <u>Medicine</u>: Discovering new "best practices" of patient care, to improve outcomes and reduce costs.

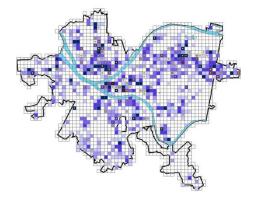
My research is focused at the intersection of **machine learning** and **public policy**, with two main goals:

- 1) Develop new machine learning methods for better (more scalable and accurate) **detection** and **prediction** of events and other patterns in massive datasets.
- 2) Apply these methods to improve the quality of public health, safety, and security.



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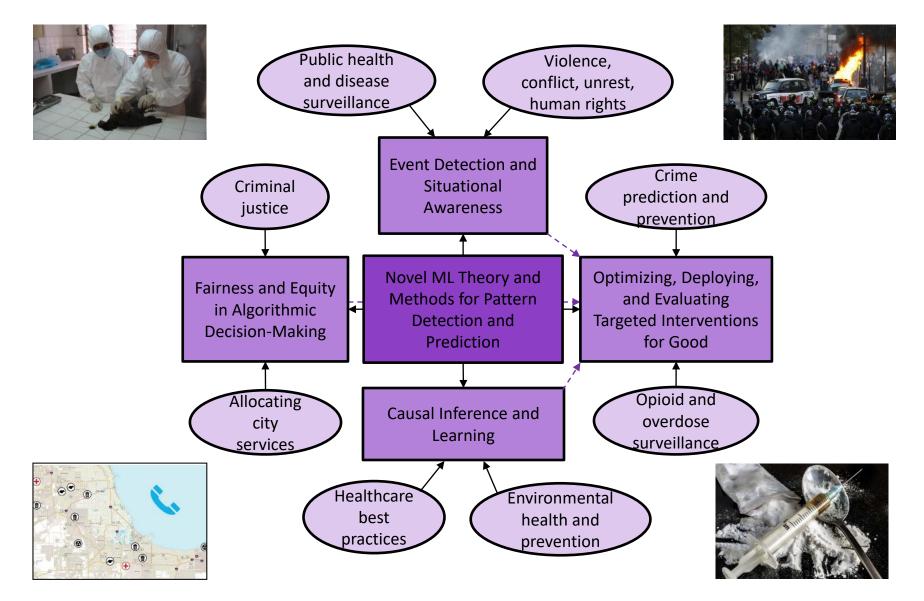


<u>Disease Surveillance</u>: Very early and accurate detection of emerging outbreaks. Law Enforcement: Detection, prediction, and prevention of "hotspots" of violent crime.

<u>Medicine</u>: Discovering new "best practices" of patient care, to improve outcomes and reduce costs.

Our disease surveillance methods have been in use for deployed systems in the U.S., Canada, India, and Sri Lanka. Our "CrimeScan" software has been in day-to-day operational use for predictive policing by Chicago and Pittsburgh PDs. "CityScan" has been used by Chicago city leaders for prediction and prevention of rodent infestations using 311 call data.

The Machine Learning for Good Lab @ NYU



Pattern detection by subset scan

One key insight that underlies much of my work is that pattern detection can be viewed as a **search** over subsets of the data.

Statistical challenges: Which subsets to search? Is a given subset anomalous? Which anomalies are relevant? <u>Computational challenge</u>: How to make this search over subsets efficient for massive, complex, high-dimensional data?

<u>New statistical methods</u> enable more timely and more accurate detection by integrating **multiple data sources**, incorporating **spatial** and **temporal** information, and using **prior knowledge** of a domain.

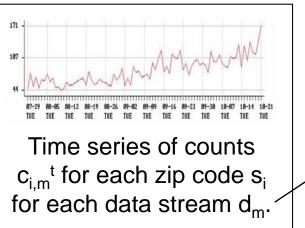
<u>New algorithms and data structures</u> make previously impossible detection tasks computationally feasible and fast.

<u>New machine learning methods</u> enable our systems to learn from user feedback, modeling and distinguishing between relevant and irrelevant types of anomaly.

Multivariate event detection



Spatial time series data from spatial locations s_i (e.g. zip codes)



<u>Outbreak detection</u> $d_1 = respiratory ED$ $d_2 = constitutional ED$ $d_3 = OTC cough/cold$ $d_4 = OTC anti-fever$ (etc.)

Main goals:

Detect any emerging events.

Pinpoint the affected subset of locations and time duration.

Characterize the event, e.g., by identifying the affected streams.

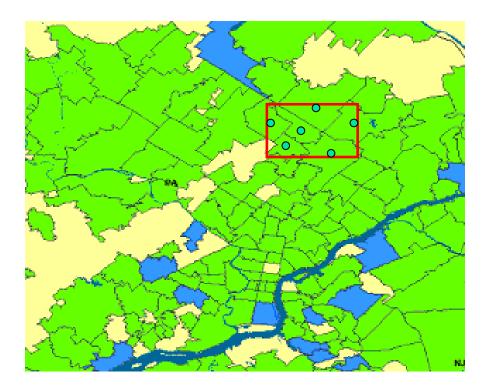
Compare hypotheses:

H₁(D, S, W)

D = subset of streamsS = subset of locationsW = time duration

vs. H₀: no events occurring

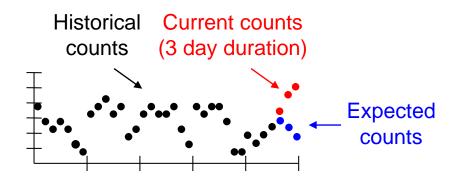
Expectation-based scan statistics



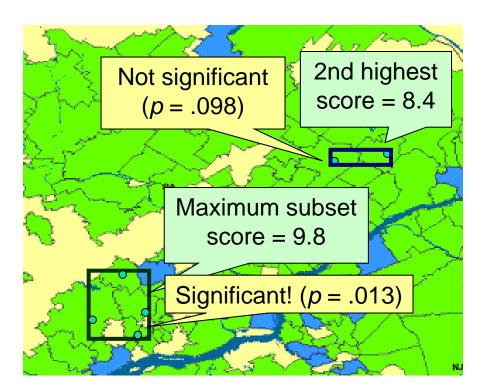
We then compare the actual and expected counts for each subset (D, S, W) under consideration. (Kulldorff, 1997; Neill and Moore, 2005)

We search for spatial regions (subsets of locations) where the recently observed counts for some subset of streams are significantly higher than expected.

We perform **time series analysis** to compute expected counts ("baselines") for each location and stream for each recent day.



Expectation-based scan statistics



(Kulldorff, 1997; Neill and Moore, 2005)

We find the subsets with highest values of a likelihood ratio statistic, and compute the *p*-value of each subset by randomization testing.

 $F(D, S, W) = \frac{\Pr(\text{Data} \mid H_1(D, S, W))}{\Pr(\text{Data} \mid H_0)}$

<u>To compute p-value</u> Compare subset score to maximum subset scores of simulated datasets under H₀.



$$F_{999}^{*} = 7.0$$



Likelihood ratio statistics

For our expectation-based scan statistics, the null hypothesis H_0 assumes "business as usual": each count $c_{i,m}{}^t$ is drawn from some parametric distribution with mean $b_{i,m}{}^t$. $H_1(S)$ assumes a multiplicative increase for the affected subset S.

Expectation-based Poisson

 $H_0: c_{i,m}^{t} \sim Poisson(b_{i,m}^{t})$

 $H_1(S): c_{i,m}^{t} \sim Poisson(qb_{i,m}^{t})$

Let C = $\sum_{s} c_{i,m}^{t}$ and B = $\sum_{s} b_{i,m}^{t}$.

Maximum likelihood: q = C / B.

 $F(S) = C \log (C/B) + B - C$

$$\begin{split} & \underbrace{\text{Expectation-based Gaussian}}_{H_0: \ c_{i,m}{}^t} \sim Gaussian(b_{i,m}{}^t, \ \sigma_{i,m}{}^t) \\ & H_1(S): \ c_{i,m}{}^t \sim Gaussian(qb_{i,m}{}^t, \ \sigma_{i,m}{}^t) \\ & \text{Let } C' = \sum_S c_{i,m}{}^t \ b_{i,m}{}^t / (\sigma_{i,m}{}^t)^2 \\ & \text{and } B' = \sum_S (b_{i,m}{}^t)^2 / (\sigma_{i,m}{}^t)^2. \end{split}$$

 $F(S) = (C')^2 / 2B' + B'/2 - C'$

Many possibilities: exponential family, nonparametric, Bayesian...

Which regions to search?

Typical approach: "spatial scan" (Kulldorff, 1997)

Each search region S is a **sub-region** of space.

- Choose some region shape (e.g. circles, rectangles) and consider all regions of that shape and varying size.
- Low power for true events that do not correspond well to the chosen set of search regions (e.g. irregular shapes).

Our approach: "subset scan" (Neill, 2012)

Each search region S is a **subset** of locations.

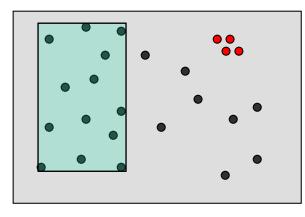
- Find the highest scoring subset, subject to some constraints (e.g. spatial proximity, connectivity).
- For multivariate, also optimize over subsets of streams.
- Exponentially many possible subsets, O(2^N x 2^M): computationally infeasible for naïve search.

Question: Why search over subsets? Answer: Simpler approaches can fail.

Top-down detection approaches

Are there any globally interesting patterns? If so, recursively search the most interesting sub-partition.

<u>Two examples</u>: bump hunting; "cluster then detect".

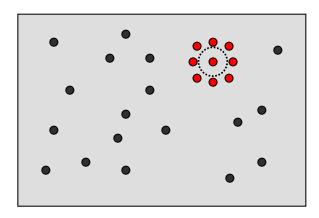


Top-down fails for **small-scale patterns** that are not evident from the global aggregates.

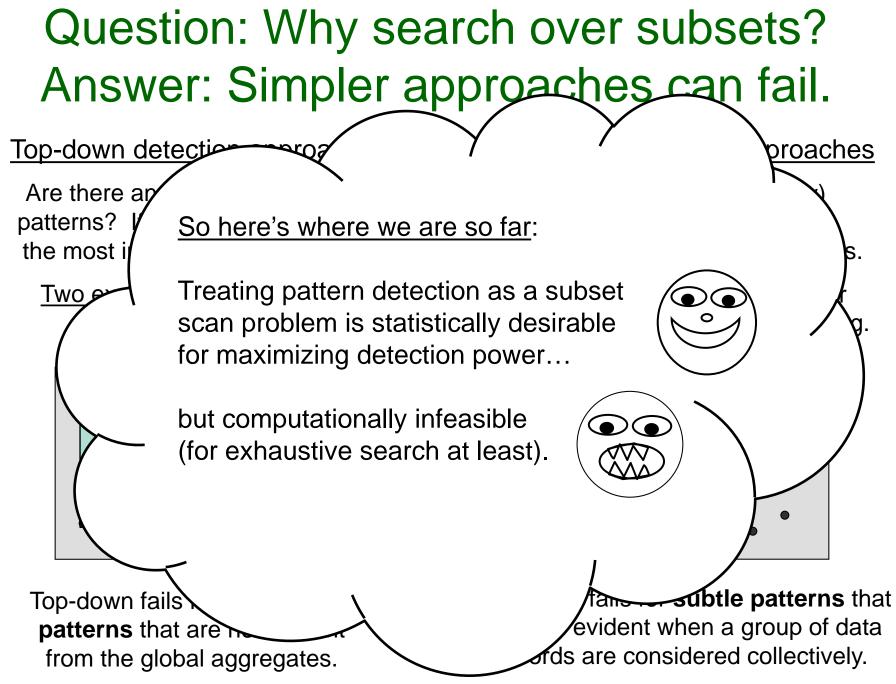
Bottom-up detection approaches

Find individually (or locally) anomalous data points, and optionally, aggregate into clusters.

<u>Two examples</u>: anomaly/outlier detection; density-based clustering.



Bottom-up fails for **subtle patterns** that are only evident when a group of data records are considered collectively.



Fast subset scan (Neill, 2012)

- In certain cases, we can optimize F(S) over the exponentially many subsets of the data, while evaluating only O(N) rather than O(2^N) subsets.
- Many commonly used scan statistics have the property of <u>linear-time subset scanning</u>:
 - Just sort the data records (or spatial locations, etc.) from highest to lowest priority according to some function...
 - ... then search over groups consisting of the top-k highest priority records, for k = 1..N.

The highest scoring subset is **guaranteed** to be one of these!

<u>Sample result</u>: we can find the **most anomalous** subset of Allegheny County zip codes in 0.03 sec vs. 10²⁴ years.

Linear-time subset scanning

- Example: Expectation-Based Poisson statistic
 - Sort data locations s_i by the ratio of observed to expected count, c_i / b_i.
 - Given the ordering $s_{(1)} \dots s_{(N)}$, we can **prove** that the top-scoring subset F(S) consists of the locations $s_{(1)} \dots s_{(k)}$ for some k, $1 \le k \le N$.
 - Key step: if there exists some location s_{out} ∉ S with higher priority than some location s_{in} ∈ S, then we can show that F(S) ≤ max(F(S U {s_{out}}), F(S \ {s_{in}})).
- <u>Theorem</u>: LTSS holds for expectation-based scan statistics in any exponential family. (Speakman et al., 2016)

$$F(S) = \max_{q>1} \log \frac{P(Data \mid H_1(S))}{P(Data \mid H_0)} \qquad \begin{array}{l} H_0: x_i \sim Dist(\mu_i) \\ H_1: x_i \sim Dist(q\mu_i) \end{array}$$

Linear-time subset scanning

- Example: Expectation-Based Poisson statistic
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- Even better theorem: We can also maximize the **penalized** scan statistic $F(S) + \sum_{s_i \in S} \Delta_i$ in O(N log N) time, evaluating only 2N of the 2^N subsets. (Speakman et al., 2016)

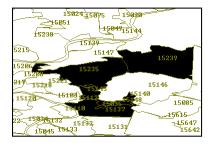
Constrained fast subset scanning

LTSS is a new and powerful tool for **exact** combinatorial optimization (as opposed to approximate techniques such as submodular function optimization). But it only solves the "best unconstrained subset" problem, and cannot be used directly for <u>constrained</u> optimization.

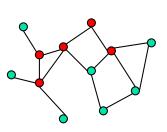
Many of our recent papers have focused on how LTSS can be extended to the many real-world problems with (hard or soft) constraints on our search.

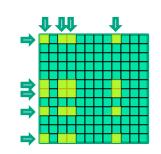
- + Proximity constraints
- + Multiple data streams
- + Connectivity constraints
- + Group self-similarity

- \rightarrow Fast spatial scan (irregular regions)
- → Fast multivariate scan
- \rightarrow Fast graph scan
- → Fast generalized subset scan



(Neill, *JRSS-B*, 2012) (Neill et al., *Stat. Med.*, 2013)





(Speakman et al., JCGS, 2015)

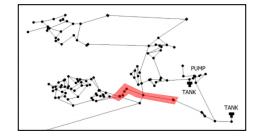
5) (McFowland et al., *JMLR*, 2013)

Constrained fast subset scanning

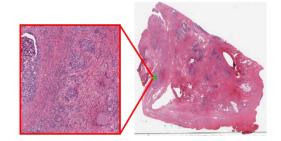
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Many of our recent papers have focused on how LTSS can be extended to the many real-world problems with (hard or soft) constraints on our search.

- + Temporal dynamics
- + Hierarchical scanning
- + Scalable GP regression \rightarrow
- \rightarrow Spreading contamination in water supply
- → Prostate cancer in digital pathology slides
 - Predicting and preventing rat infestations



(Speakman et al., ICDM 2013)



(Somanchi et al., *Stat. Med.,* 2018)



(Flaxman et al., 2015; Neill et al., in preparation)

Fast subset scan with spatial proximity constraints

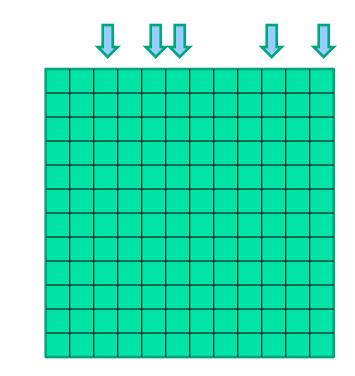
- Maximize a likelihood ratio statistic over all subsets of the "local neighborhoods" consisting of a center location s_i and its k-1 nearest neighbors, for a fixed neighborhood size k.
- Naïve search requires $O(N \cdot 2^k)$ time and is computationally infeasible for k > 25.
- For each center, we can search over all subsets of its local neighborhood in O(k) time using LTSS, thus requiring a total time complexity of O(Nk) + O(N log N) for sorting the locations.
- In Neill (2012), we show that this approach dramatically improves the timeliness and accuracy of outbreak detection for irregularly-shaped disease clusters.

S₁..S_N

Spatial locations

• The LTSS property allows us to efficiently optimize over subsets of spatial locations for a given subset of streams.

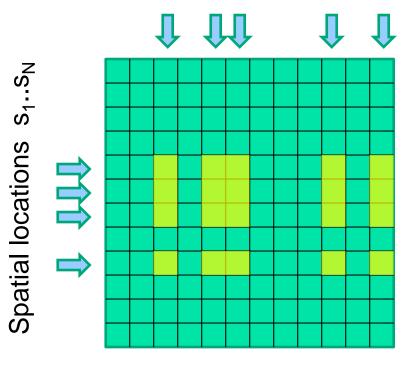
(Neill, McFowland, and Zheng, 2013)



Data streams d₁..d_M

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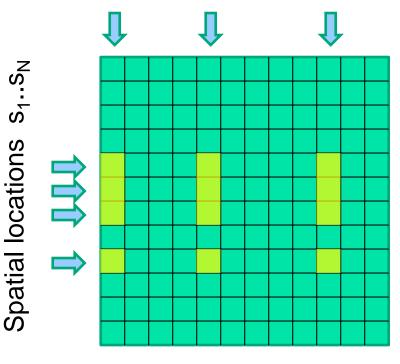


(Score = 7.5)

Data streams $d_1..d_M$

- The LTSS property allows us to efficiently optimize over subsets of spatial locations for a given subset of streams.
- But it also allows us to efficiently optimize over subsets of streams for a given subset of locations...

(Neill, McFowland, and Zheng, 2013)

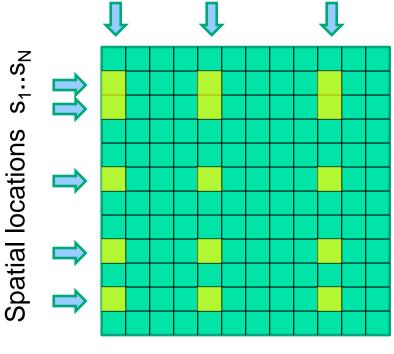


(Score = 8.1)

Data streams $d_1..d_M$

- The LTSS property allows us to efficiently optimize over subsets of spatial locations for a given subset of streams.
- But it also allows us to efficiently optimize over subsets of **streams** for a given subset of **locations**...
- So we can jointly optimize over subsets of streams **and** locations by iterating between these steps!

(Neill, McFowland, and Zheng, 2013)

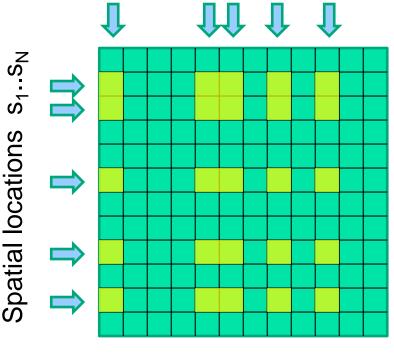


(Score = 9.0)

Data streams d₁..d_M

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(Neill, McFowland, and Zheng, 2013)

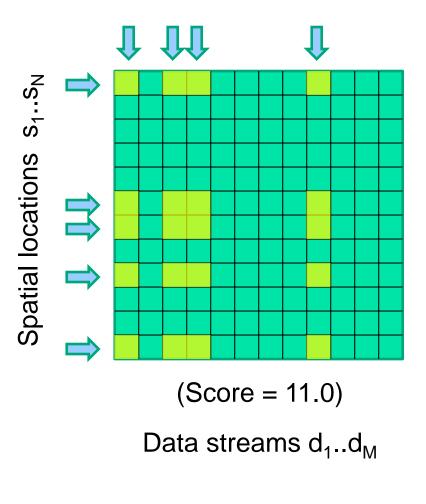


(Score = 9.3)

Data streams $d_1..d_M$

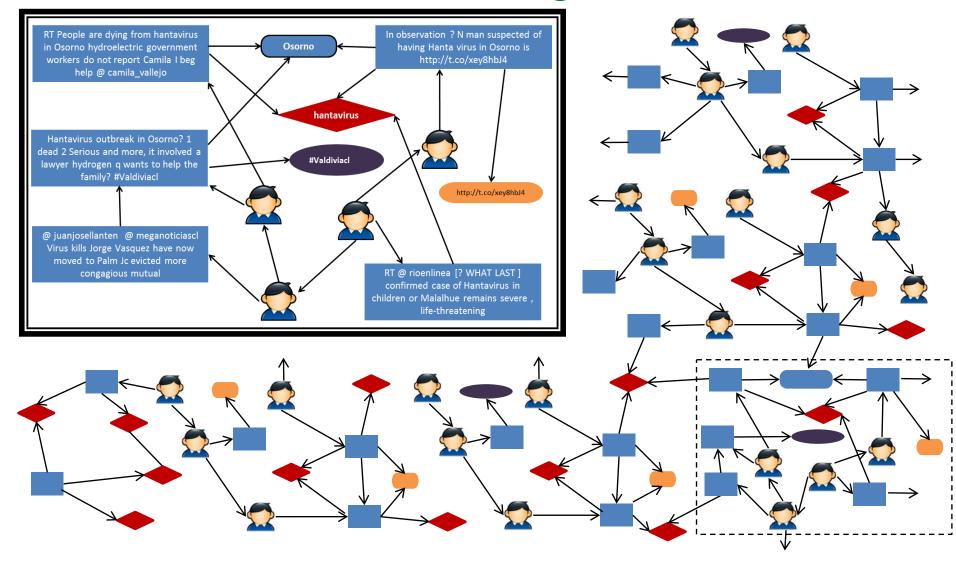
- The LTSS property allows us to efficiently optimize over subsets of spatial locations for a given subset of streams.
- But it also allows us to efficiently optimize over subsets of streams for a given subset of locations...
- So we can jointly optimize over subsets of streams **and** locations by iterating between these steps!
- Converges to local maximum: we do multiple random restarts to approach the global maximum.
- For general datasets, a similar approach* can be used to jointly optimize over subsets of data records and attributes.

(Neill, McFowland, and Zheng, 2013)

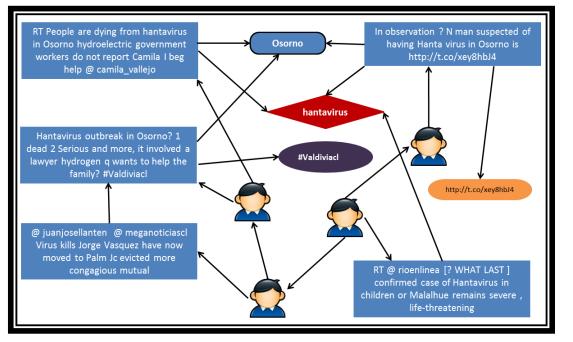


*McFowland, Speakman, and Neill, *JMLR*, 2013

<u>Teaser</u>: Detecting Rare Disease Outbreaks Using Twitter



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Technical contributions:

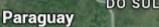
- Modeling of Twitter data as a heterogeneous sensor network.
- Nonparametric subset scan to integrate data from multiple node types.
- Fast search algorithm scales to massive data.

<u>Evaluation</u>: 17 gold standard hantavirus outbreaks in Chile. Also applied to community health: predicting civil unrest and detecting emerging patterns of human rights violations.

<u>Results</u>: outperforms existing state-of-the-art methods with respect to timeliness of detection, detection power, and accuracy of outbreak characterization.

Detected Hantavirus outbreak, 10 Jan 2013

> First news report: 11 Jan 2013



Uruguay

Locations Users Keywords Hashtags Links Videos

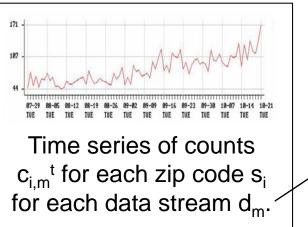
Temuco and Villarrica, Chile

F. Chen and D.B. Neill. Non-parametric scan statistics for event detection and forecasting in heterogeneous social media graphs. Proc. 20th ACM SIGKDD Conf. on Knowledge Discovery and Data Mining, 1166-1175, 2014.

Multivariate event detection



Spatial time series data from spatial locations s_i (e.g. zip codes)



<u>Outbreak detection</u> $d_1 = respiratory ED$ $d_2 = constitutional ED$ $d_3 = OTC cough/cold$ $d_4 = OTC anti-fever$ (etc.)

Main goals:

Detect any emerging events.

Pinpoint the affected subset of locations and time duration.

Characterize the event, e.g., by identifying the affected streams.

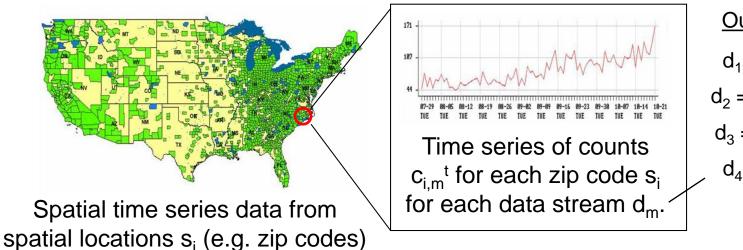
Compare hypotheses:

H₁(D, S, W)

D = subset of streamsS = subset of locationsW = time duration

vs. H₀: no events occurring

Multidimensional event detection



<u>Outbreak detection</u> $d_1 = respiratory ED$ $d_2 = constitutional ED$ $d_3 = OTC cough/cold$ $d_4 = OTC anti-fever$ (etc.)

Additional goal: identify any differentially affected **subpopulations** P of the monitored population.

Gender (male, female, both) Age groups (children, adults, elderly) Ethnic or socio-economic groups Risk behaviors: e.g. intravenous drug use, multiple sexual partners

More generally, assume that we have a set of additional discrete-valued attributes $A_1..A_J$ observed for each individual case.

We identify not only the affected streams, locations, and time window, but also a **subset** of values for each attribute.

Multidimensional subset scan

- Our **MD-Scan** framework (Neill & Kumar, 2013) extends LTSS to the multidimensional case:
 - For each time window and spatial neighborhood (center + k-nearest neighbors), we do the following:
 - 1. Start with randomly chosen subsets of **locations** S, **streams** D, and **values** V_i for each attribute A_i (j=1..J).

 Choose an attribute A (randomly or sequentially) and use LTSS to find the highest scoring subset of values, locations, or streams, conditioned on all other attributes.
 *** Linear rather than exponential in arity of A ***

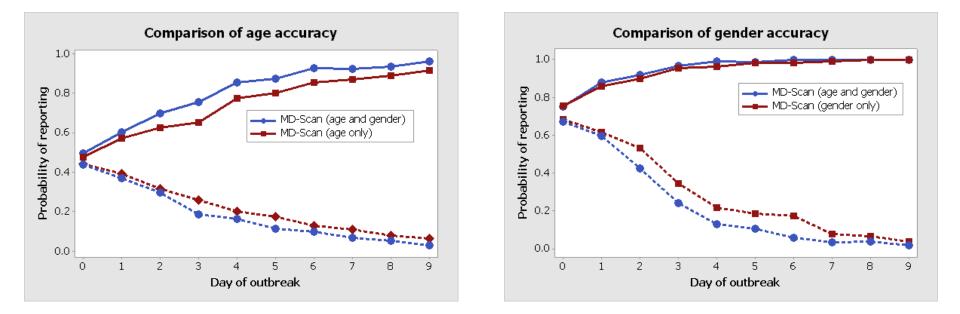
 Iterate step 2 until convergence to a local maximum of the score function F(D,S,W, {V_j}), and use multiple restarts to approach the global maximum.

Evaluation of MD-Scan

- We first evaluated the detection performance of MD-Scan for detecting simulated disease outbreaks injected into real-world Emergency Department data from Allegheny County, PA.
- For outbreaks with differential effects by age and gender, MD-Scan demonstrated more timely and more accurate detection, and accurately characterized the affected subpopulations.

1) Identifying affected subpopulations

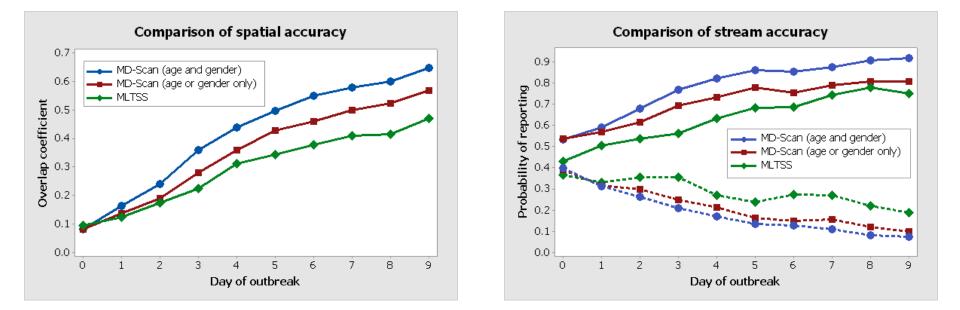
By the midpoint of the outbreak, MD-Scan is able to correctly identify the affected gender and age deciles with high probability, without reporting unaffected subpopulations.



Proportions of correct and incorrect groups reported vs. time since start of outbreak. <u>Solid lines</u>: affected gender and/or age deciles. <u>Dashed lines</u>: unaffected. <u>Blue lines</u>: outbreaks with differential effects by both age and gender (easier). <u>Red lines</u>: outbreaks with differential effects by age or gender only (harder).

2) Characterizing affected streams

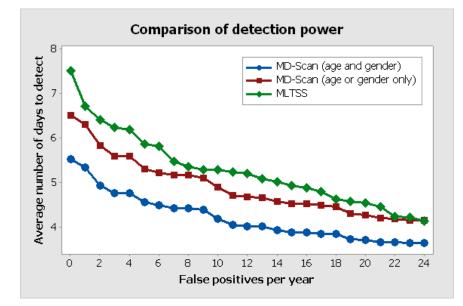
As compared to the previous state of the art (multivariate lineartime subset scanning), MD-Scan is better able to characterize the affected spatial locations and subset of the monitored streams.

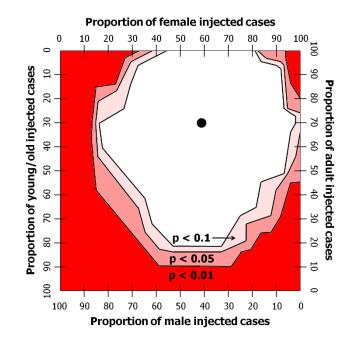


Left: overlap coefficient between true and detected subsets of spatial locations. Right: Proportions of correct and incorrect streams reported vs. day of outbreak. <u>Blue lines</u>: outbreaks with differential effects by both age and gender (easier). <u>Red lines</u>: outbreaks with differential effects by age or gender only (harder). <u>Green lines</u>: MLTSS, ignoring age and gender information

3) Timeliness of outbreak detection

MD-Scan achieved significantly more timely detection for outbreaks that were sufficiently biased by age and/or gender.

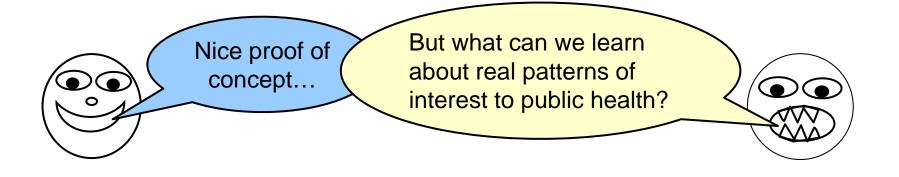




For outbreaks with strong age and gender biases, time to detection improved from 5.2 to 4.0 days at a fixed false positive rate of 1/month. Smaller biases in age or gender were sufficient for significant improvements; even when no age/gender signal is present, MD-Scan performs comparably to MLTSS.

Evaluation of MD-Scan

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Allegheny County Overdose Data

- We analyzed county medical examiner data for fatal accidental drug overdoses, 2008-2015.
- ~2000 cases: for each overdose victim, we have date, location (zip), age, gender, race, and the set of drugs present in their system.
- Reduced to 30 dimensions (age decile, gender, race, presence/absence of 27 common drugs) plus space and time.
- Clusters discovered by MD-Scan were shared with Allegheny County Dept. of Human Services.

MD-Scan Overdose Results (1)



January 16-25, 2014: 14 deaths county-wide from fentanyl-laced heroin.

January 10 to February 7, 2015:

Cluster of 11 fentanyl-related deaths, mainly black males over 58 years of age, centered in Pittsburgh's downtown Hill District.

Very unusual demographic: common dealer / shooting gallery?

Fentanyl is a dangerous drug which has been a huge problem in western PA.It is often mixed with white powder heroin, or sold disguised as heroin.

March 27 to April 21, 2015: 26 deaths county-wide from fentanyl, heroin only present in 11.

Started in the SE suburbs of Pittsburgh, including a cluster of 5 cases around McKeesport between March 27 and April 8.

Cluster score became significant March 29th (4 nearby cases, white males ages 20-49) and continued to increase through April 20th.

Fentanyl, heroin, and combined deaths remained high through end of June (>100).

MD-Scan Overdose Results (2)

Another set of discovered overdose clusters each involved a combination of Methadone and Xanax.



<u>Methadone</u>: an opioid used for chronic pain relief and to treat heroin addiction, but also addictive and risk of OD.



Xanax (alprazolam): a benzodiazepine prescribed for panic and anxiety disorders. The combination produces a strong high but can be deadly (~30% of methadone fatal ODs).

From 2008-2012: multiple M&X OD clusters, 3-7 cases each, localized in space and time.

<u>From 2013-2015:</u> no M&X overdose clusters; 33% and 47% drops in yearly methadone and M&X deaths respectively.

Why did these deaths cluster, when methadone and methadone + other benzo deaths did not?

What factors could explain the dramatic reduction in M&X overdose clusters?

MD-Scan Overdose Results (2)

Another set of discovered overdose clusters each involved a combination of Methadone and Xanax.



<u>Methadone</u>: an opioid used for chronic pain relief and to treat heroin addiction, but also addictive and risk of OD.



Xanax (alprazolam): a benzodiazepine prescribed for panic and anxiety disorders. Increased state oversight of methadone clinics and prescribing physicians after passage of the Methadone Death and Incident Review Act (Oct 2012).

Approval of generic suboxone (buprenorphine + naloxone) in early 2013 lowered cost of suboxone treatment as an alternative to methadone clinics.

Why did these deaths cluster, when methadone and methadone + other benzo deaths did not?

What factors could explain the dramatic reduction in M&X overdose clusters?

Identifying causal effects of treatments and exposures

1. Healthcare treatments

We are using health insurance claims data from ~125K individuals to identify anomalous patterns of patient care that impact health outcomes.

* Correct suboptimal care ** Identify new best practices *

<u>Key idea</u>: treatment effects may be **heterogeneous**; look for most positively and negatively affected subpopulations.

"Glucocorticoids significantly increase hospitalizations following treatment in the subpopulation of hypertensive, overweight males with endocrine disorders."



2. Environmental health

We are using Medicaid data linked to detailed building characteristics in order to identify impacts of poorquality housing on chronic health.

"Which housing conditions impact which health conditions, for which subpopulations, to what extent?"

Must adjust for known confounders, selection into treatment/exposure.

"Crowded housing is associated with increased respiratory conditions & injuries among Asians living in Manhattan."





Another application of MD-Scan: auditing algorithms for fairness.



Bernard Parker, left, was rated high risk; Dylan Fugett was rated low risk. (Josh Ritchie for ProPublica)

Source: Julia Angwin, Jeff Larson, Surya Mattu and Lauren Kirchner, ProPublica

Machine Bias

There's software used across the country to predict future criminals. And it's biased against blacks.

Motivating questions

- Is the COMPAS algorithm for predicting reoffending risk fair, or is it biased against some subpopulation defined by observed characteristics?
 - Black box algorithm. All we observe is predictions vs. gold standard (re-offending) for a sample of individuals (ProPublica data from Broward County, FL).
 - Many possible biases: race, gender, age, past offenses...
 - Combinations of factors, e.g., "elderly white females"
- This led us to develop a **general approach** to auditing black box algorithms for fairness or bias.

Broward County data

- <u>Source</u>: ProPublica's data on criminal defendants in Broward County, FL, in 2013-2014
- <u>Outcome</u>: re-arrests (!) assessed through April 2016.
- <u>Score</u>: **COMPAS** score from 1 (low risk) to 10 (high risk)

Background	Black $(n = 3696)$		White $(n = 2454)$
Age	32.7 (10.9)	<	37.7 (12.8)
Male (%)	82.4	>	76.9
Number of Priors	4.44 (5.58)	>	2.59 (3.8)
Any priors? (%)	76.4	>	65.9
Felony (%)	68.9	>	60.3
COMPAS Score	5.37 (2.83)	>	3.74 (2.6)

What does it mean to be "fair"?

There are at least three possibilities (and probably more):

1) Group Fairness: The same proportion of each group should be classified as "high risk".

 Doesn't seem reasonable for COMPAS: observed reoffending rates are not constant across groups. For Broward County, 51% of black defendants and 39% of white defendants reoffended.

2) **Disparate Impacts**: Comparing false positive and false negative rates across groups.

Impacts depend on how predictions are used (particularly if the prediction is a probability). Can we separate fairness of prediction from fair decisions using these predictions?

What does it mean to be "fair"?

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3) We focus on **unbiasedness** of probability estimates.

Individual risk probabilities should be predicted accurately, **without systematic biases** based on any observed attributes or combinations of attributes.

→ Are there any **statistically significant** biases?

→ Can we automatically correct these systematic biases, in order to improve fairness of prediction?



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Bias scan (Zhang and Neill, 2016)

Our goal is to **detect** and **correct** any **systematic biases** in risk prediction that a classifier may have (i.e., over-predicting or underpredicting risk for a specific attribute or combination of attributes).

We developed a new variant of the multidimensional subset scan to identify subgroups where classifier predictions are significantly biased.

Assume a dataset with inputs x_i , binary labels $y_i \in \{0,1\}$, and the classifier's risk predictions $\hat{p}_i = Pr(y_i = 1)$.

Search space: subspaces defined by a subset of values for each attribute (e.g., "white and Asian males under 25") Score function: a log-likelihood ratio statistic. H_0 : \hat{p}_i correctly calibrated; $H_1(S)$: constant multiplicative increase or decrease in odds of y_i = 1 for subspace S.

$$F(S) = \max_{q} \log \prod_{s_i \in S} \frac{\Pr\left(y_i \sim Bernoulli\left(\frac{q\hat{p_i}}{1 - \hat{p_i} + q\hat{p_i}}\right)\right)}{\Pr\left(y_i \sim Bernoulli(\hat{p_i})\right)}$$

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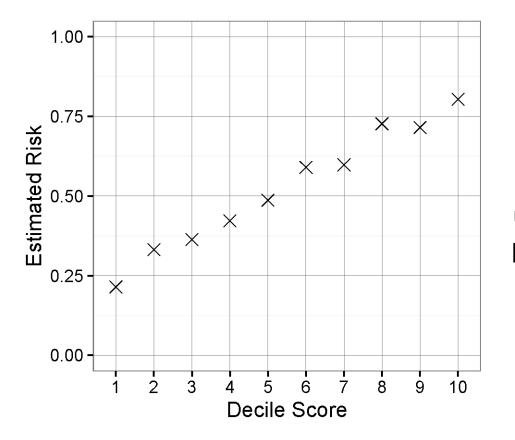
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For interpretability, we maximize the penalized score $F(S) - \log \prod |S_j|$, where attributes with no excluded values are ignored. For each conditional optimization, we can use the simple penalty, $\log(|S_j|) 1\{|S_j| < \operatorname{arity}(A_j)\}$.

Results of bias scan on COMPAS

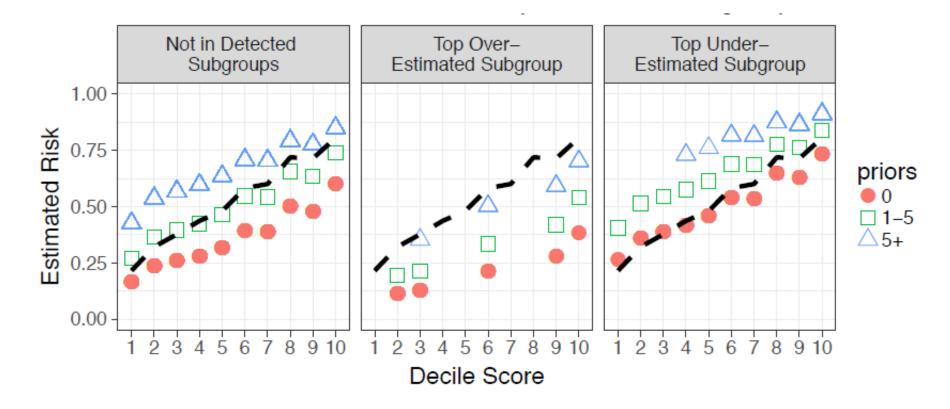


Start with maximum likelihood risk estimates for each COMPAS decile score.

Detection result 1: COMPAS underestimates the importance of prior offenses, overestimating risk for 0 priors, and underestimating risk for 5 or more priors.

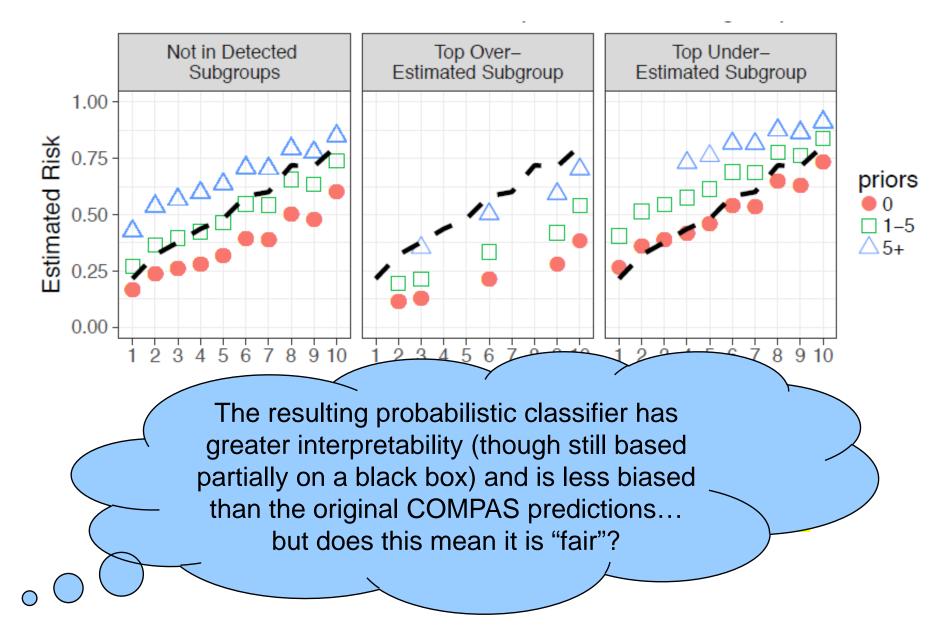
<u>Detection result 2</u>: Even controlling for prior offenses, COMPAS still underestimates risk for males under 25, and overestimates risk for females who committed misdemeanors.

Results of bias scan on COMPAS



After controlling for number of prior offenses and for membership in the two detected subgroups, there are no significant systematic biases in prediction.

Results of bias scan on COMPAS



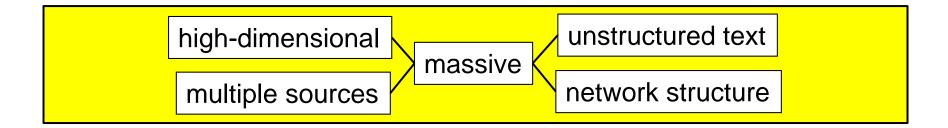
Discussion: predictive fairness in context

- The method does not account for target variable bias: we predict re-offending risk but the gold standard is based on re-arrests not re-offenses.
 - Big problem with drug possession, weapon possession charges.
 Leads to feedback loops.
- How to avoid **disparate impacts** when making decisions based on even unbiased predictions?

The resulting probabilistic classifier has greater interpretability (though still based partially on a black box) and is less biased than the original COMPAS predictions... but does this mean it is "fair"?

Conclusions

Real-world problems at the societal scale require new computational methods to deal with both the **size** and the **complexity** of data.



Fast subset scanning (with constraints) can serve as a fundamental building block for efficient, scalable pattern detection in massive data.

Practical solutions to societal challenges also require an understanding of complex data (text, networks, images, streams, ...), leading to **new statistical and algorithmic tools** for extracting relevant patterns.

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Thanks for listening!

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