

**X~~S~~-systems: eXtended S-Systems and Algebraic
Differential Automata for Modeling Cellular
Behavior ***

The above equations take, in general, the following *power law* form:

$$\dot{X}_i = \alpha_i \prod_{j=1}^{n+m} X_j^{g_{ij}} - \beta_i \prod_{j=1}^{n+m} X_j^{h_{ij}} \quad (3)$$

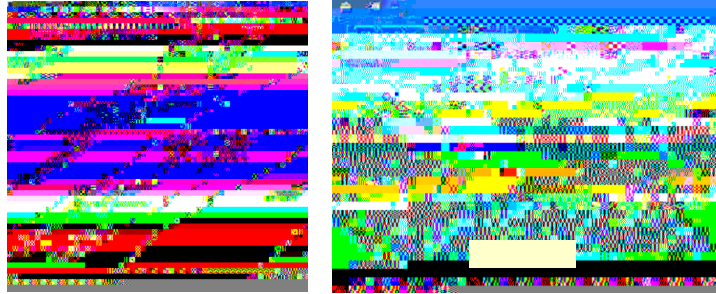
$$C_j(X_1(t), \dots, X_m(t)) = \sum \left(\gamma_j \prod_{k=1}^{n+m} X_k^{f_{jk}} \right) = 0 \quad (4)$$

where the α_i and β_i are the rate constants, and the g_{ij} and h_{ij} are called the positive and negative contributions to a given substance (represented by X_i as a function of time).

2 XS-systems: S-systems extended with Automata

In this section we describe the general idea underlying the automata construction. O

English-ized form⁴. The main operators in ASySA (and CTL) are used to denote *possibility* and *necessity* over time. E.g. to express the query asking whether a certain protein



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